A Quantitative Test for the Robustness of Graspless Manipulation

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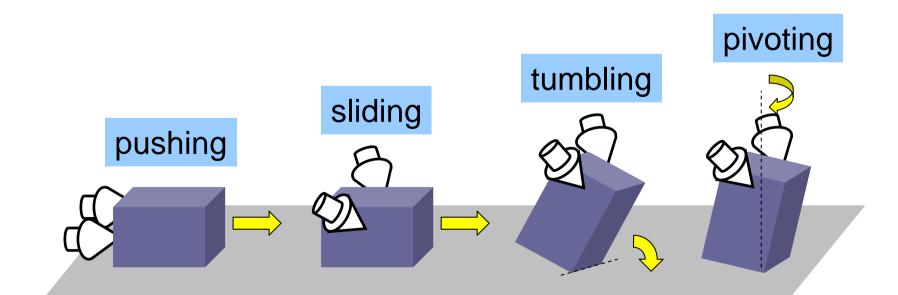
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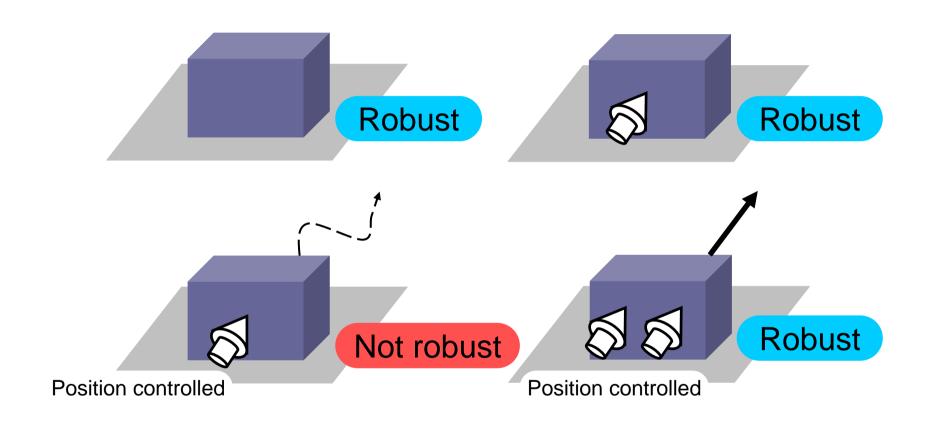
1. Introduction

Graspless manipulation

- Non-grasping
- Objects are in contact with the environment



Robustness against External Disturbances

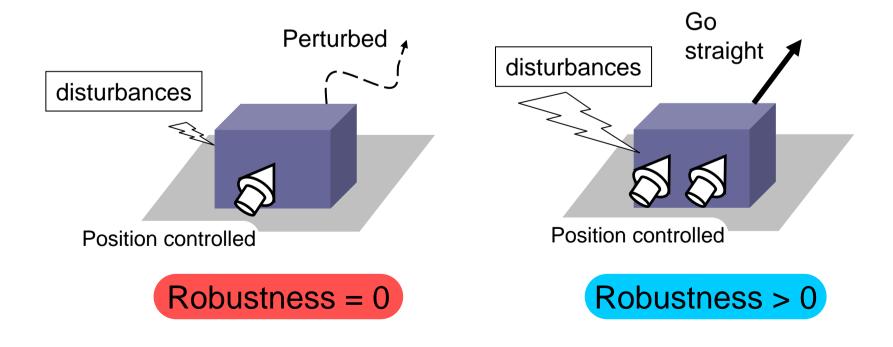




For graspless manipulation, we need to evaluate the robustness

Definition of "Robustness measure of manipulation"

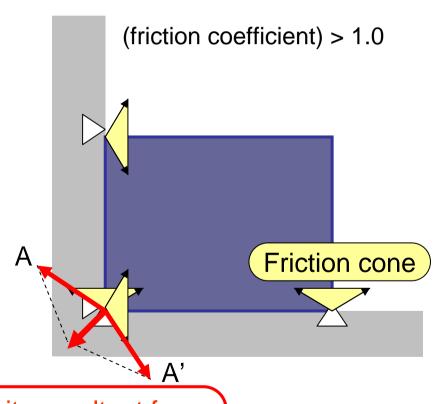
How much the manipulated object can resist external disturbances without changing its motion [Maeda 02 ICRA]



Overestimated robustness measures in some cases

[Maeda 02 ICRA]

<Case: A cuboid on a corner>



assumption

Arbitrary contact forces are feasible in each friction cone



Infinite robustness value

We cannot move the object on a corner !!

Infinite resultant force

(2D schematic view)

Objective

A new quantitative test for the robustness of graspless manipulation

More accurate than our previous method [Meada 02]

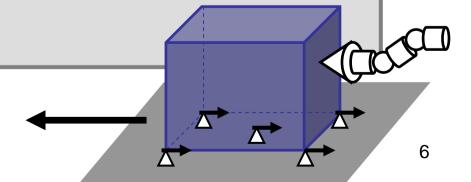
Our approach

We consider the constraints on static friction originally derived by [Omata 00, 01] for power grasps

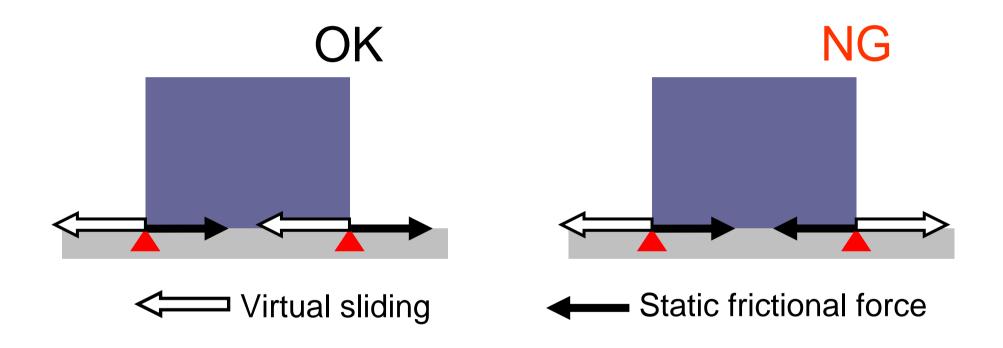
2. Mechanical Model

Assumptions

- Rigid bodies
- Stationary or in quasi-static manipulation
- Coulomb friction
- Approximation of all the contact by finite-point contacts
- Approximation of friction cone by polyhedral convex cone
- Position- or force-controlled robots
- Infinite servo-stiffness for position-controlled robots



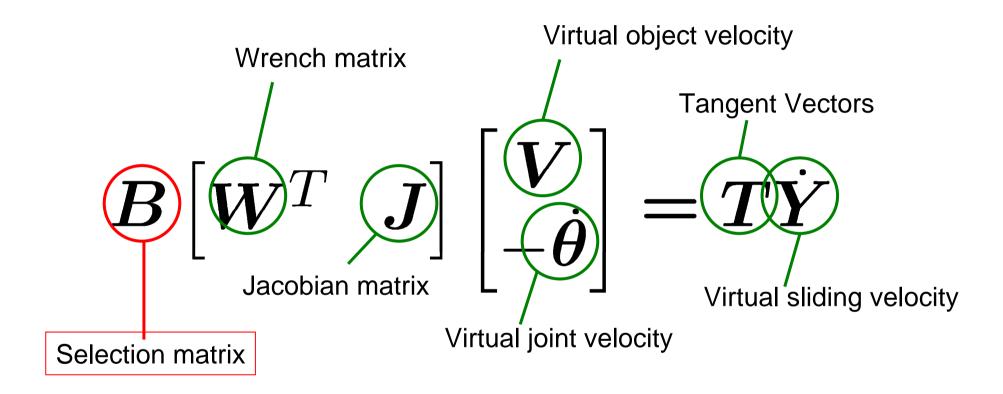
Relationship between *virtual* sliding and static frictional force [Omata 00, 01]



Consider a combination of virtual slidings

Exclude impossible frictional forces

Constraint on static friction [Omata 01]



Virtual sliding velocity (Y) is constrained



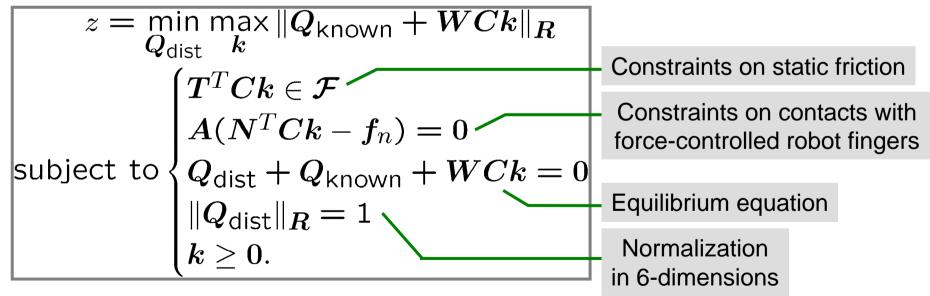
Static frictional forces are also constrained.

3. Robustness measure

How much the manipulated object can resist external disturbances without changing its motion



The value of the robustness, z



We solve the minimax optimization problem

Difficulties

Constraints on static friction is nonlinear

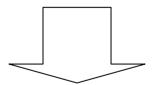


We divide the problem into subproblems based on the sign of the elements of virtual sliding.

Arbitrary directions in 6-dimensional force/moment space



Approximation by considering only some typical directions

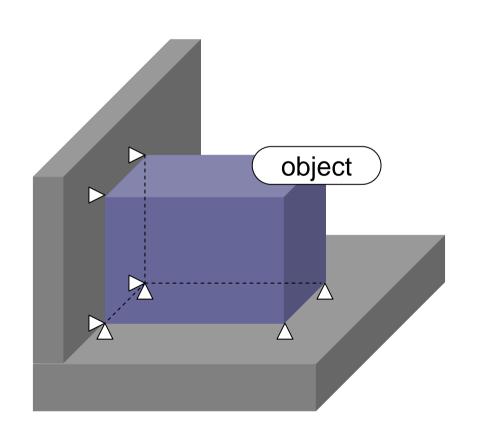


We solve a series of the linear programming problems to obtain the approximate value of the robustness.

4. Numerical examples

(on Celeron 2.4GHz PC)

<Example: An object on a corner>



Object

•Size : 2x2x2

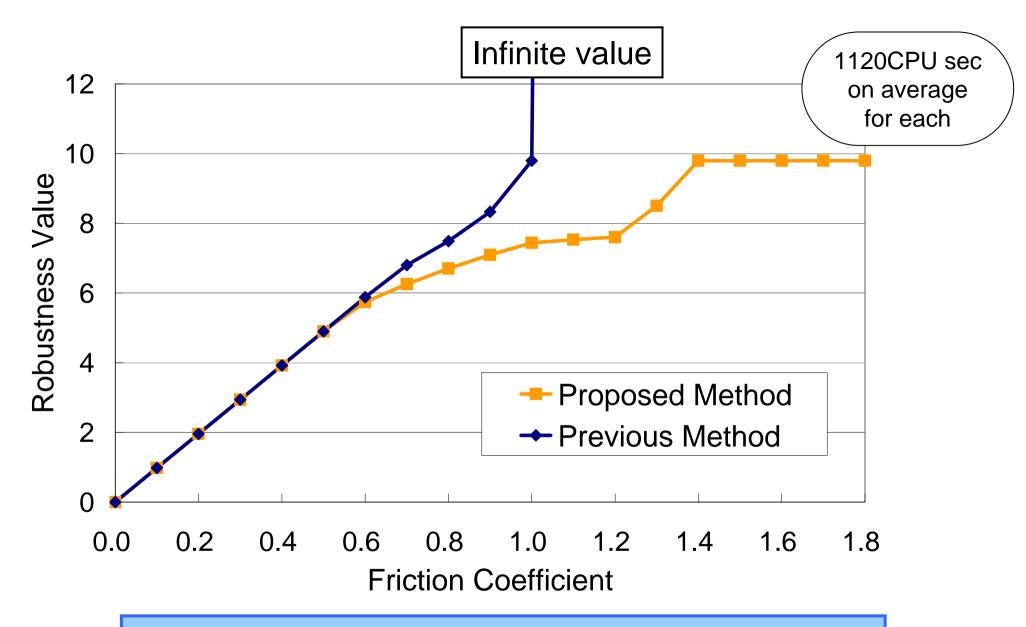
•Mass: 1

•Gravitational acceleration: 9.8

Previous method [Maeda 02]



because of not excluding some impossible contact forces

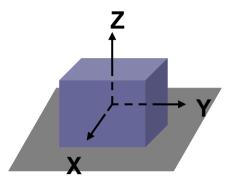


Our proposed method can evaluate the robustness more accurately than previous method.

<Example: Pushing a cuboid>

Friction coefficient: 0.3

Object size: 2x2x1

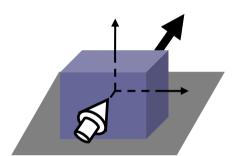


[Stationary with no robot fingers]

(Robustness value) = 2.94

(68CPU sec)

Equal to the maximum static frictional forces (1x9.8x0.3 = 2.94)

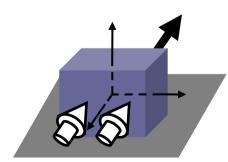


[One-point pushing with position-controlled robot finger]

(Robustness value) = 0

36CPU sec

Infinitesimal external disturbances can perturb the motion



[Two-point pushing with position-controlled robot fingers]

(Robustness value) = 0.88

(113CPU sec)

5. Conclusion

Summary

A new quantitative test for the robustness of quasistatic graspless manipulation for rigid bodies with Coulomb friction

- Consideration of constraints on static frictional force originally derived by Omata and Nagata [Omata 00, 01]
- More accurate evaluation than our previous work [Maeda 02]

Future work

- Reduction of the computation time
- Application to manipulation planning